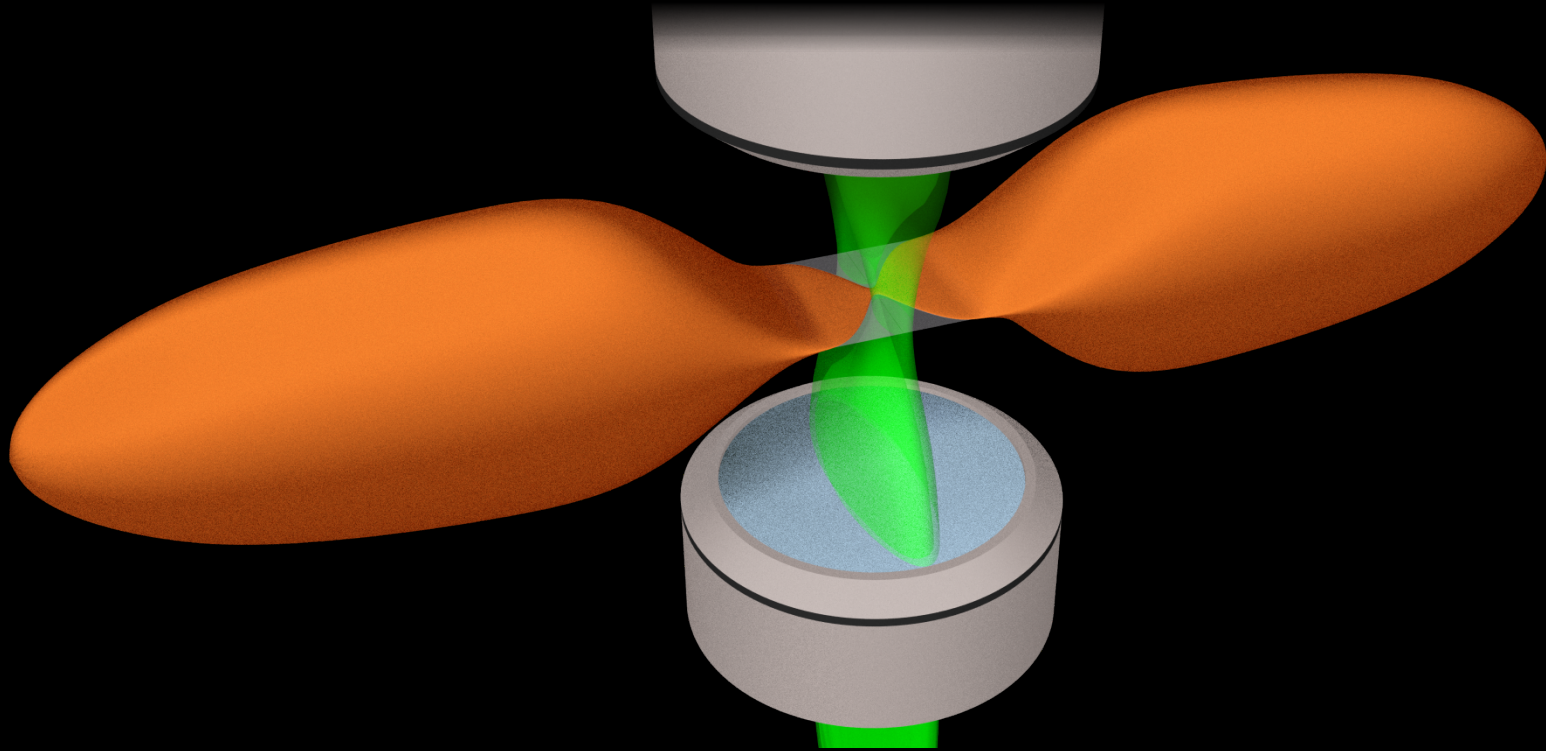


# Quantized conductance for neutral matter



J.P. Brantut, S. Krinner, D. Stadler, D. Husmann, M. Lebrat and T. Esslinger

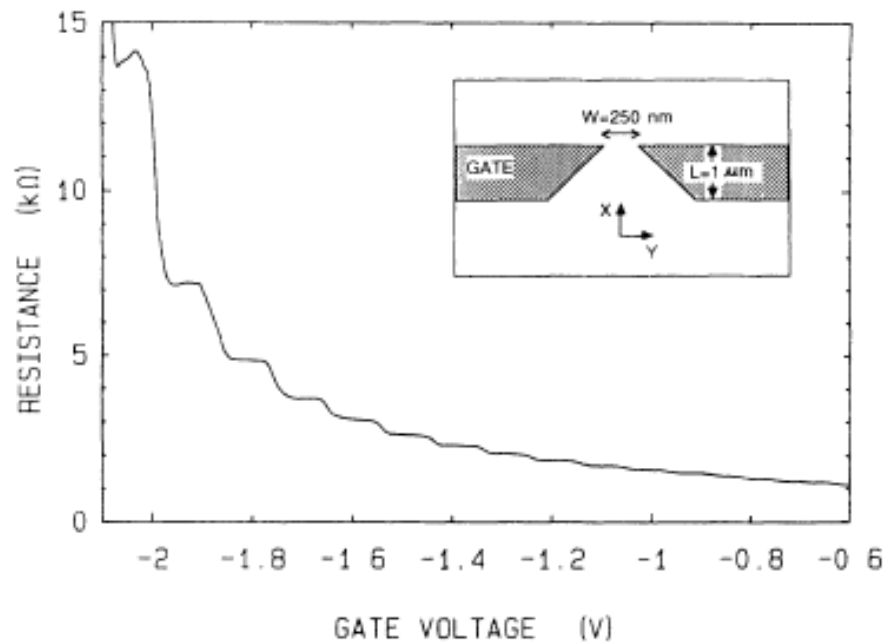
Institute for Quantum Electronics  
ETH Zürich

# Mesoscopic Devices

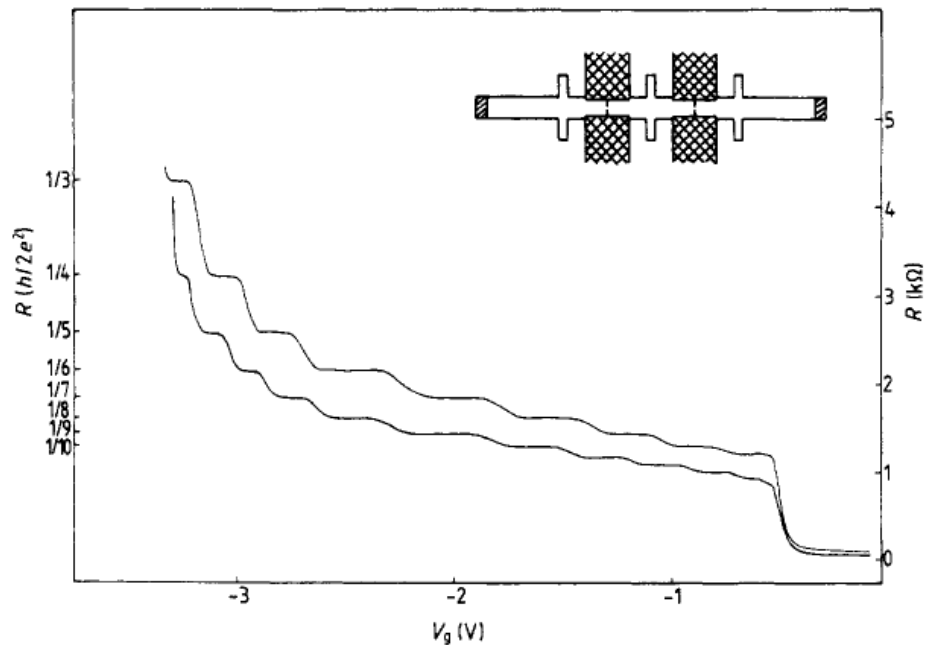
*which size are comparable to the de Broglie wavelength of particles*

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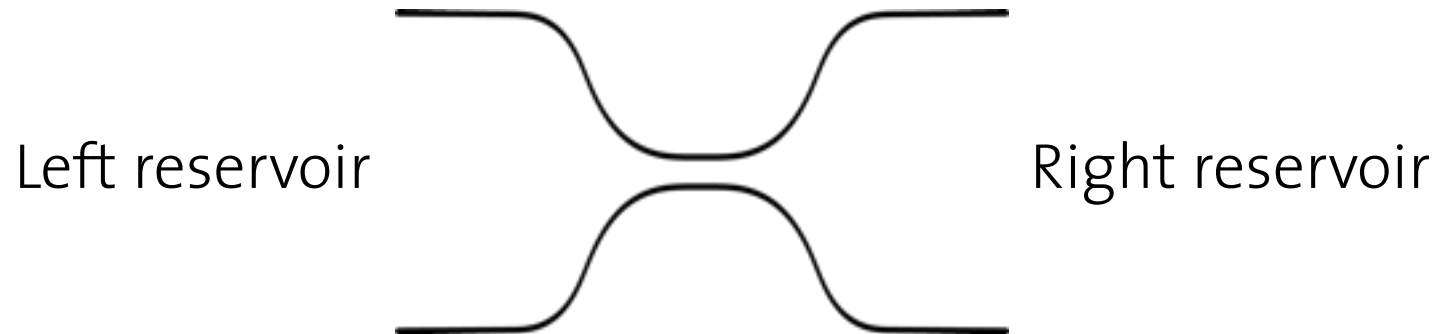


B. J. van Wees, H. van Houten, C. W. J. Beenakker, J. G. Williamson, L. P. Kouwenhoven, D. van der Marel, C. T. Foxon, Phys. Rev. Lett. **60**, 848 (1988)

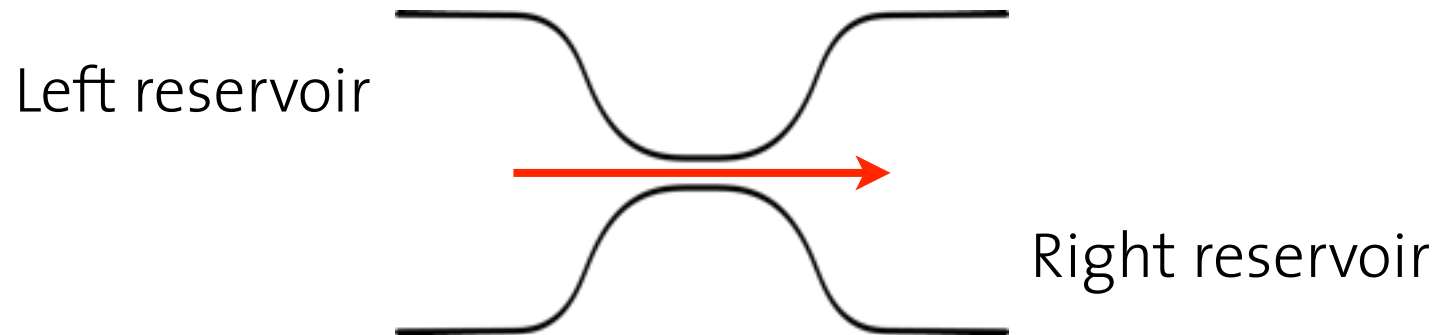


D A Wharam, T J Thornton, R Newbury, M Pepper, H Ahmed, J E F Frost, D G Hasko, D C Peacock, D A Ritchie and G A C Jones, J. Phys. C: Solid State Phys. **21** L209

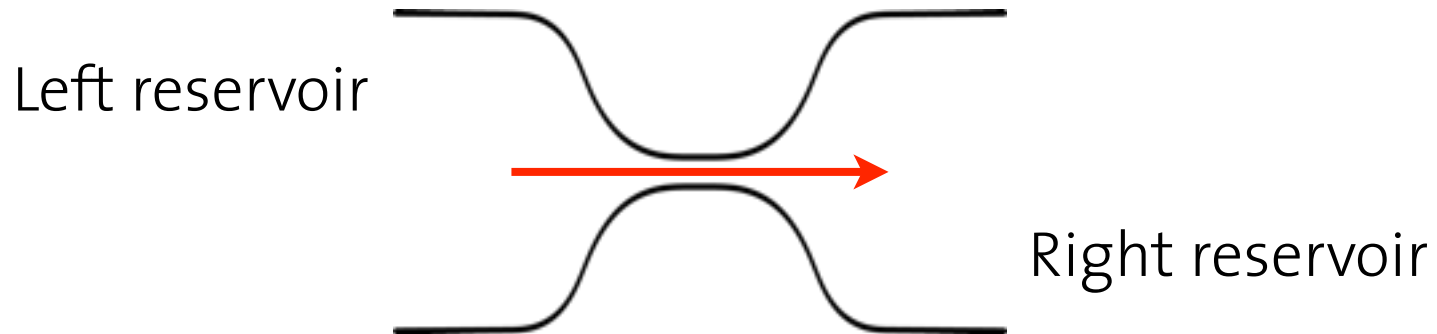
# Conductance Quantization : Landauer theory



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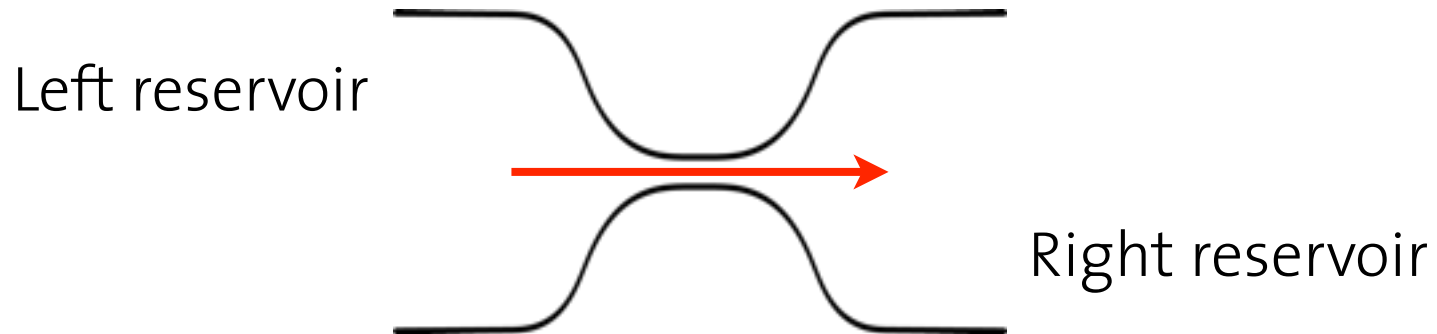
*Group velocity*

$$v_g(\epsilon) = \sqrt{2\epsilon/m}$$

*Density of states*

$$g_{1D}(\epsilon) = \frac{1}{2\pi\hbar v_g(\epsilon)}$$

# Conductance Quantization : Landauer theory



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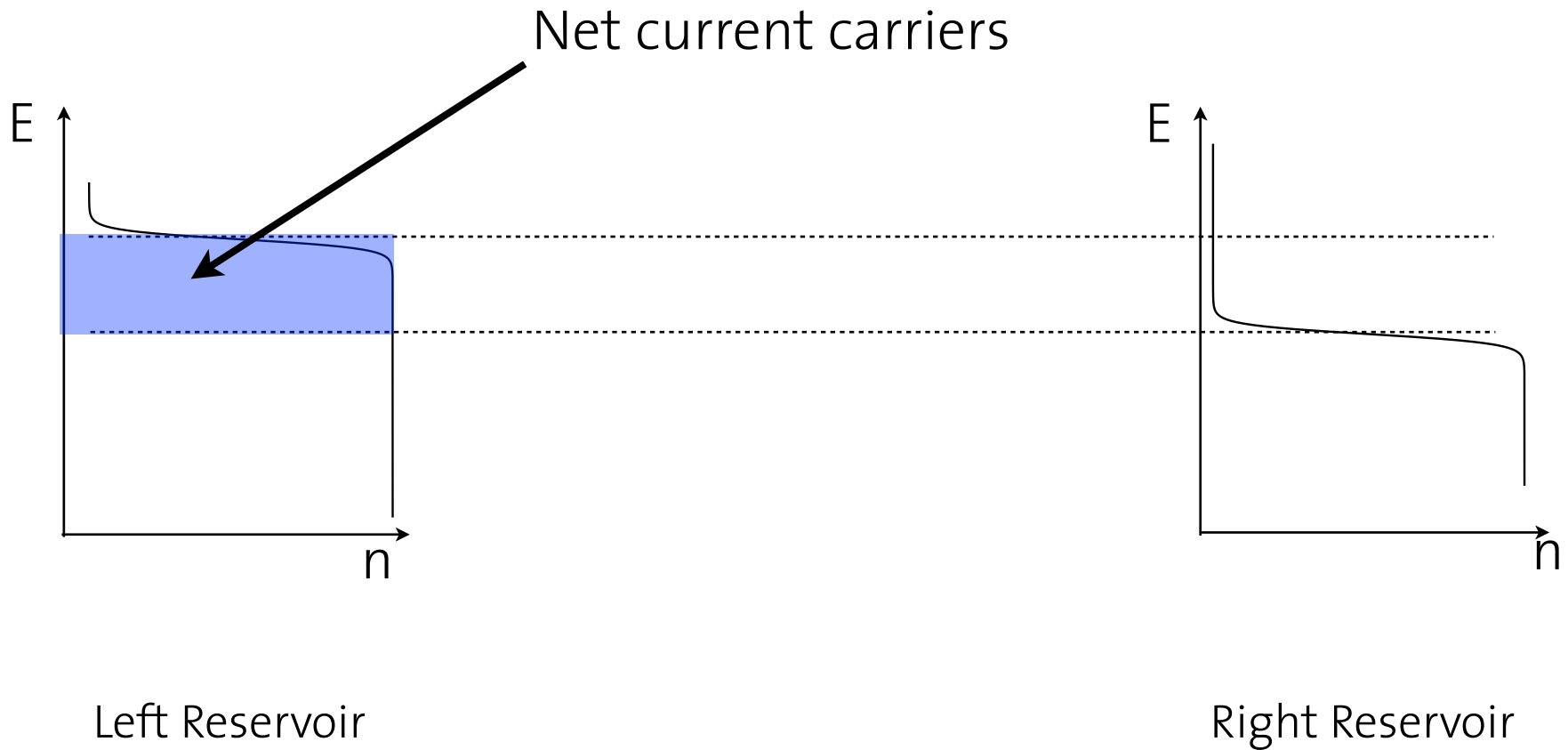
*Current*

$$I = \int_{E_F}^{E_F + \Delta\mu} g_{1D}(\epsilon) v_g(\epsilon) d\epsilon = \frac{\Delta\mu}{h}$$

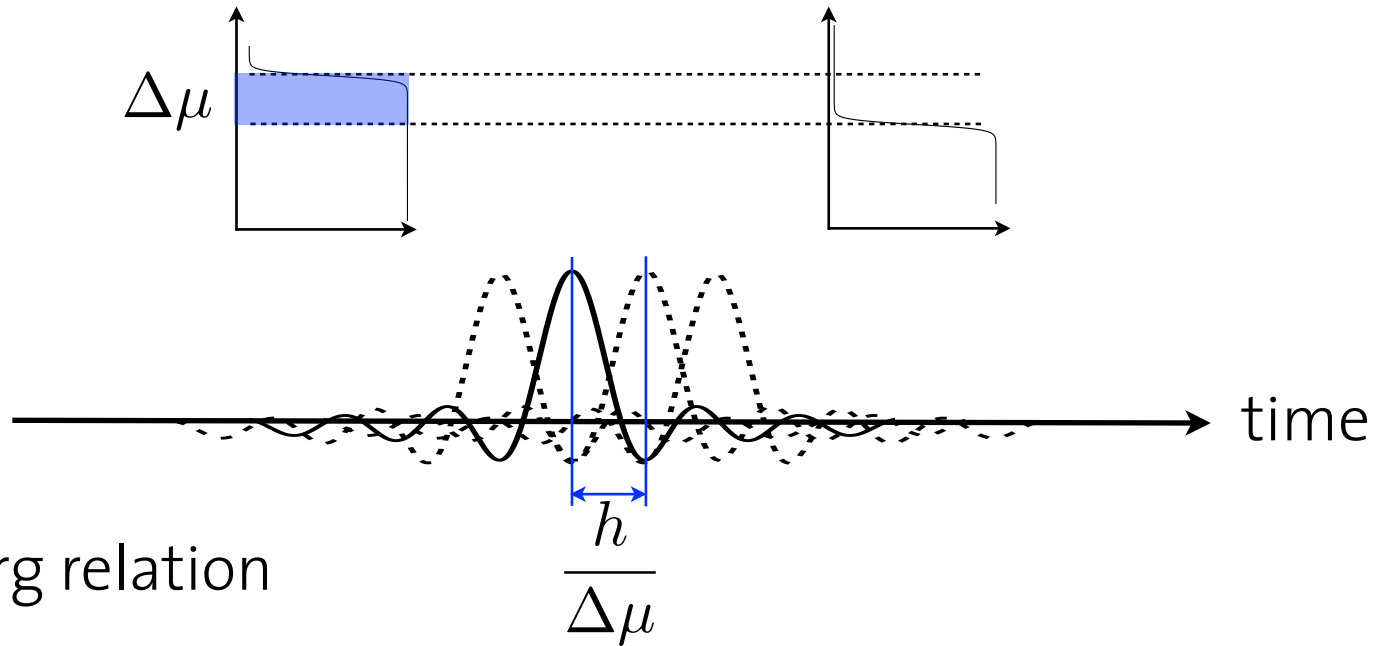
# Universal conductance quantum $1/h$



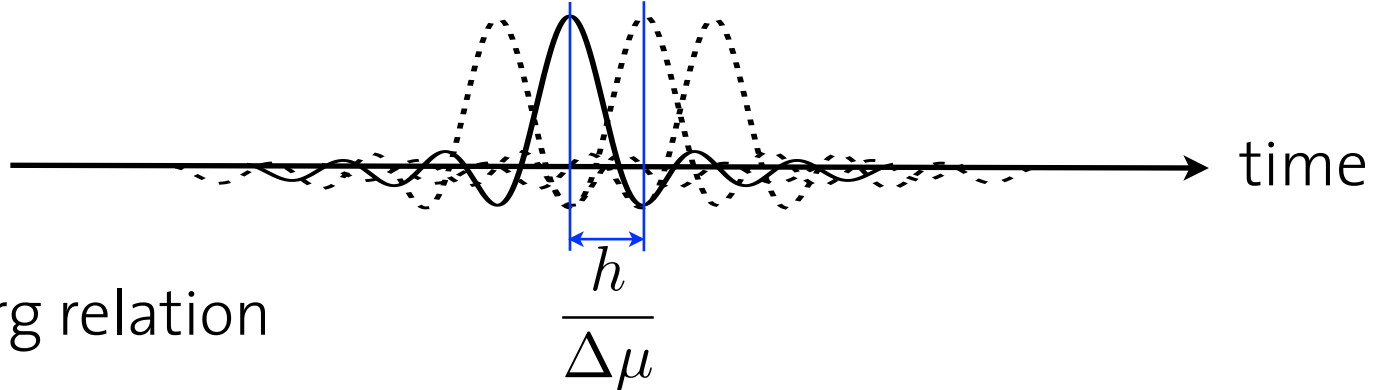
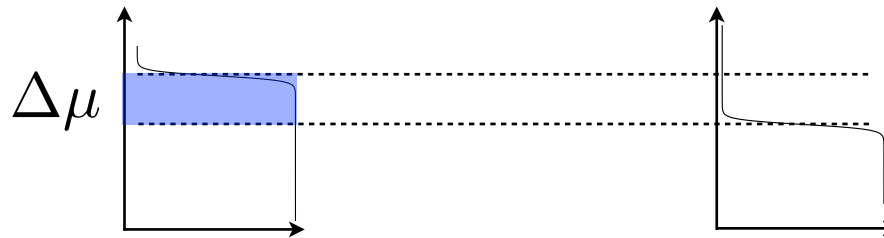
# Universal conductance quantum $1/h$



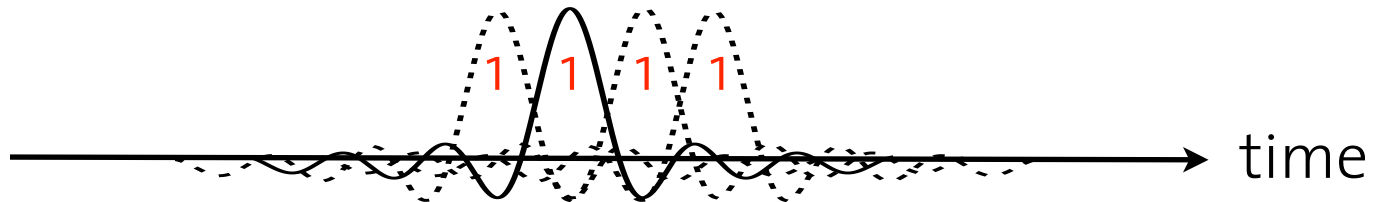
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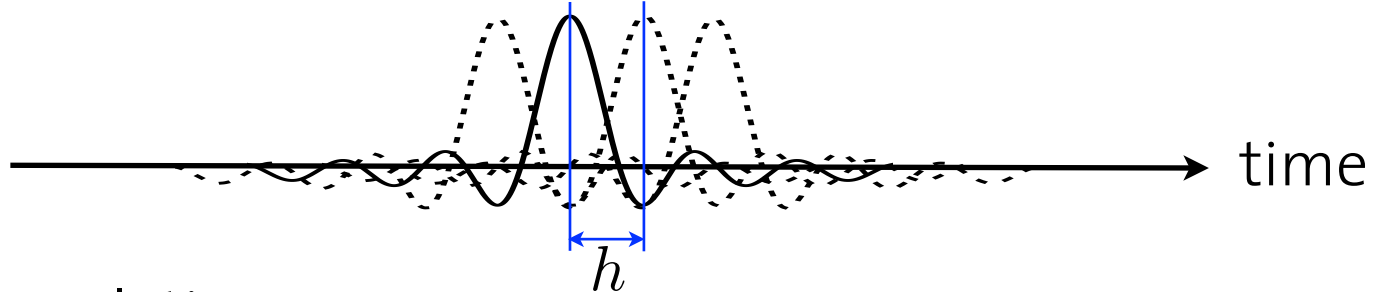
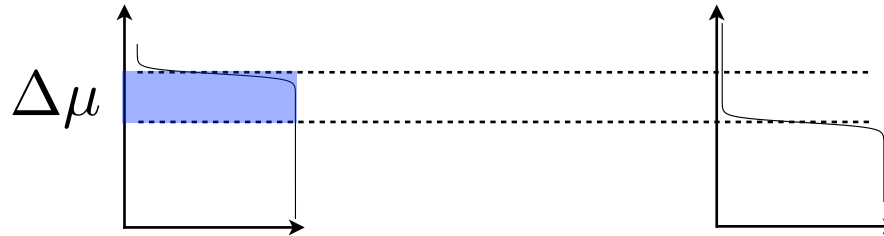


Heisenberg relation



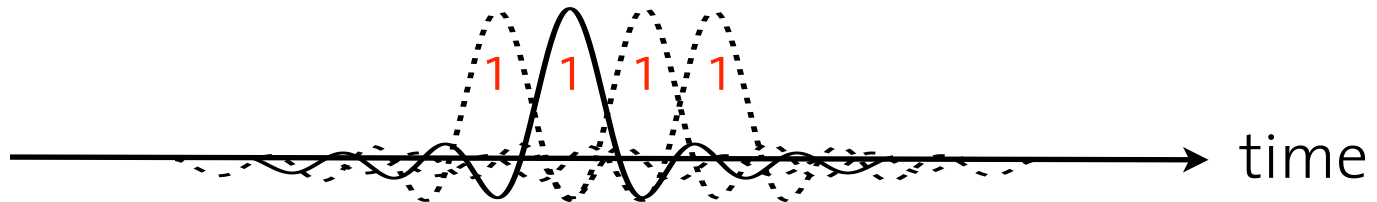
Pauli principle

# Universal conductance quantum $1/h$



Heisenberg relation

$$\frac{h}{\Delta\mu}$$



Pauli principle

$$I = \frac{\Delta\mu}{h}$$

# Universal conductance quantum $1/h$

No reference whatsoever to electric charges, fields etc

# Universal conductance quantum $1/h$

No reference whatsoever to electric charges, fields etc

*Journal of Low Temperature Physics*, Vol. 141, Nos. 3/4, November 2005 (© 2005)  
DOI: 10.1007/s10909-005-8223-3

## On the Feasibility of Detecting Quantized Conductance in Neutral Matter

Yuki Sato, Byeong-Ho Eom, and Richard Packard

*Department of Physics, University of California, Berkeley, CA 94720-7300, USA*  
E-mail: ysato@socrates.berkeley.edu

(Received May 18, 2005; revised July 18, 2005)

VOLUME 83, NUMBER 19

PHYSICAL REVIEW LETTERS

8 NOVEMBER 1999

## Quantum Point Contacts for Neutral Atoms

J. H. Thywissen,\* R. M. Westervelt,<sup>†</sup> and M. Prentiss

*Department of Physics, Harvard University, Cambridge, Massachusetts 02138*  
(Received 19 July 1999)

LOW TEMPERATURE PHYSICS

VOLUME 34, NUMBERS 4–5

APRIL–MAY 2008

## LIQUID HELIUM

### Quantum-limited mass flow of liquid $^3\text{He}$

G. Lambert and G. Gervais

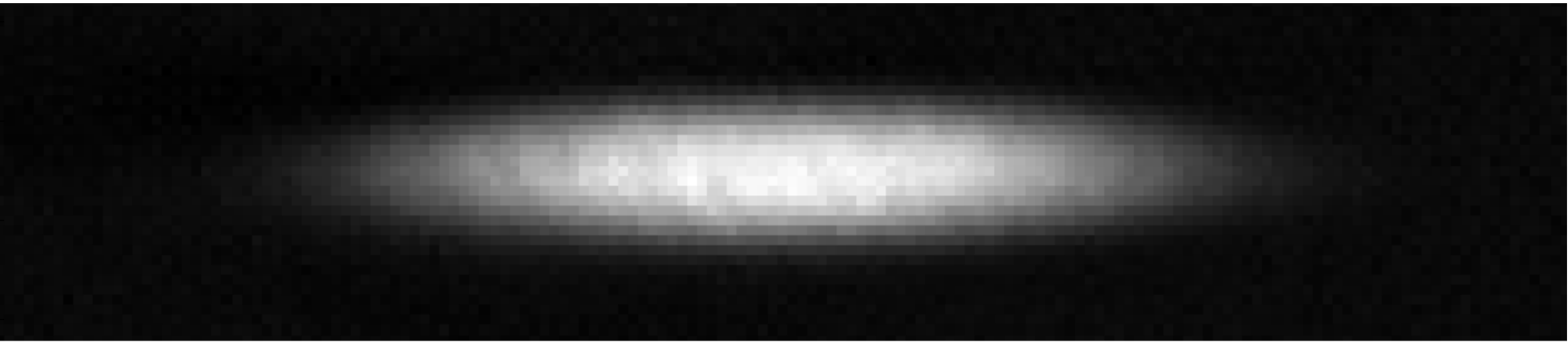
*Department of Physics, McGill University, 3600 rue Université, Montréal, Qc, Canada*

W. J. Mullin<sup>a)</sup>

*Department of Physics, University of Massachusetts, Amherst, Massachusetts 01003, USA*  
(Submitted October 29, 2007)

Fiz. Nizk. Temp. **34**, 321–325 (April–May 2008)

# Experimental setup

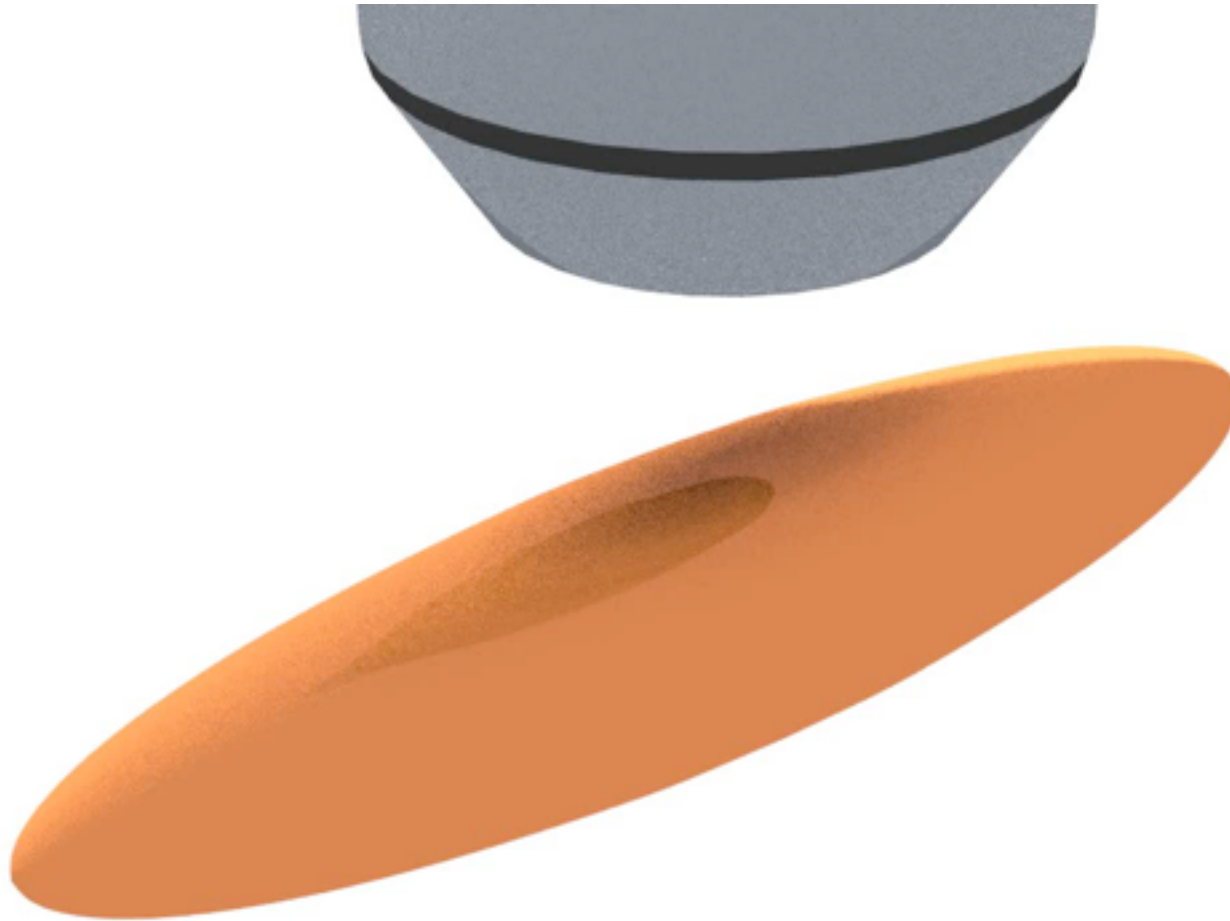


$7.5 \cdot 10^4 \text{ } ^6\text{Li atoms}$

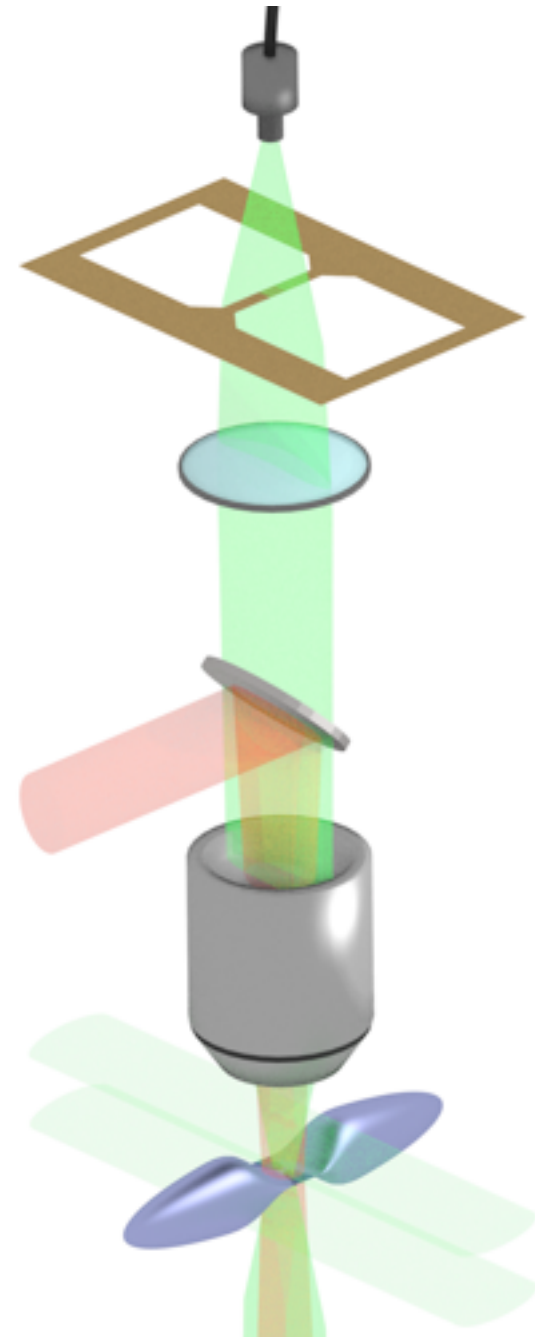
$T \sim 0.11 T_F$

$T_F = 352 \text{ nK}$

# Experimental setup : cloud shaping



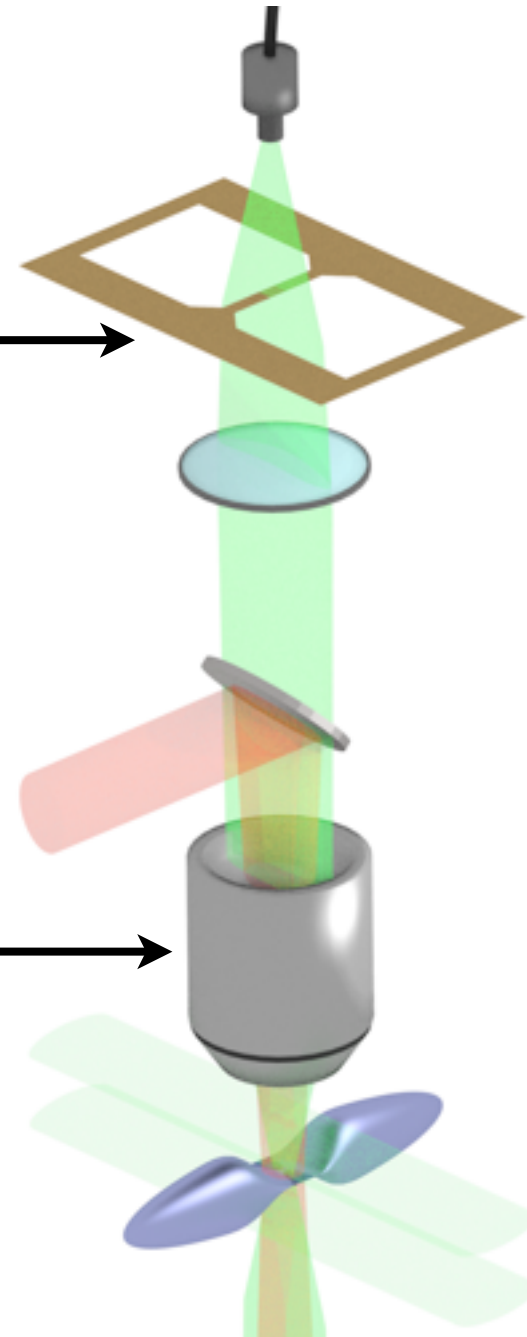
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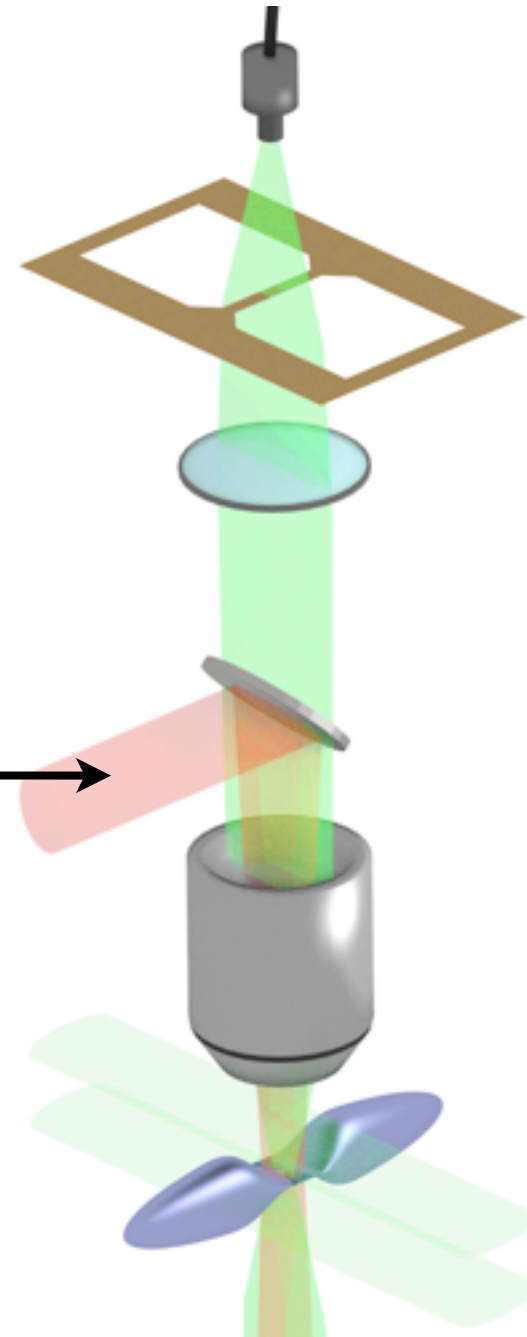
Binary mask  
*Gaussian beam (@ 532 nm)*

Microscope objective  
Demagnification x11  
*Images a “split gate” onto the atoms*

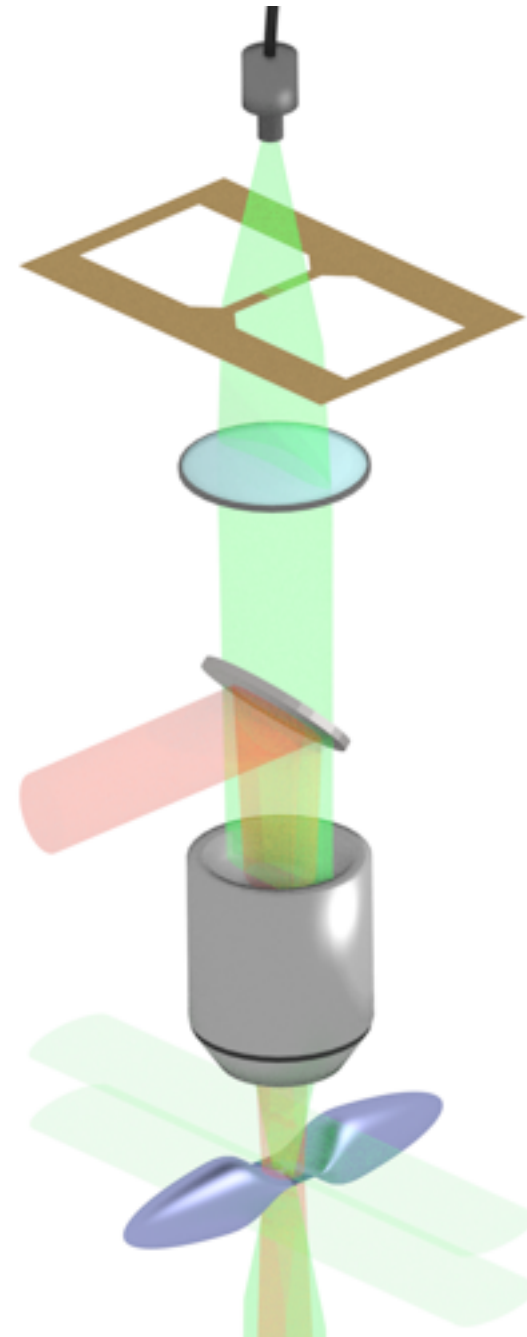
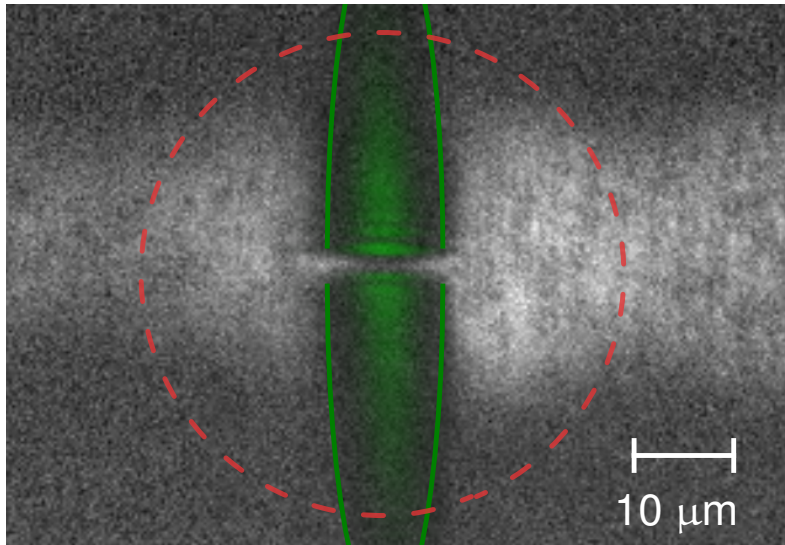


# Experimental setup : cloud shaping

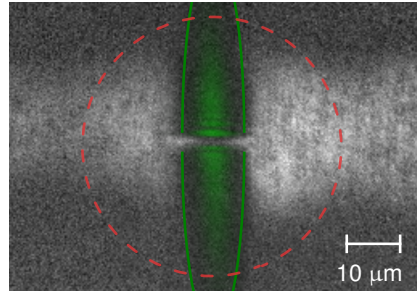
Attractive “Gate” potential  
*Gaussian envelope (@ 767 nm)*



# Experimental setup : cloud shaping

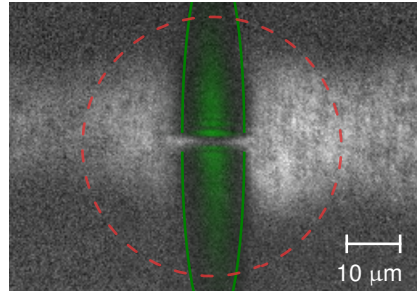


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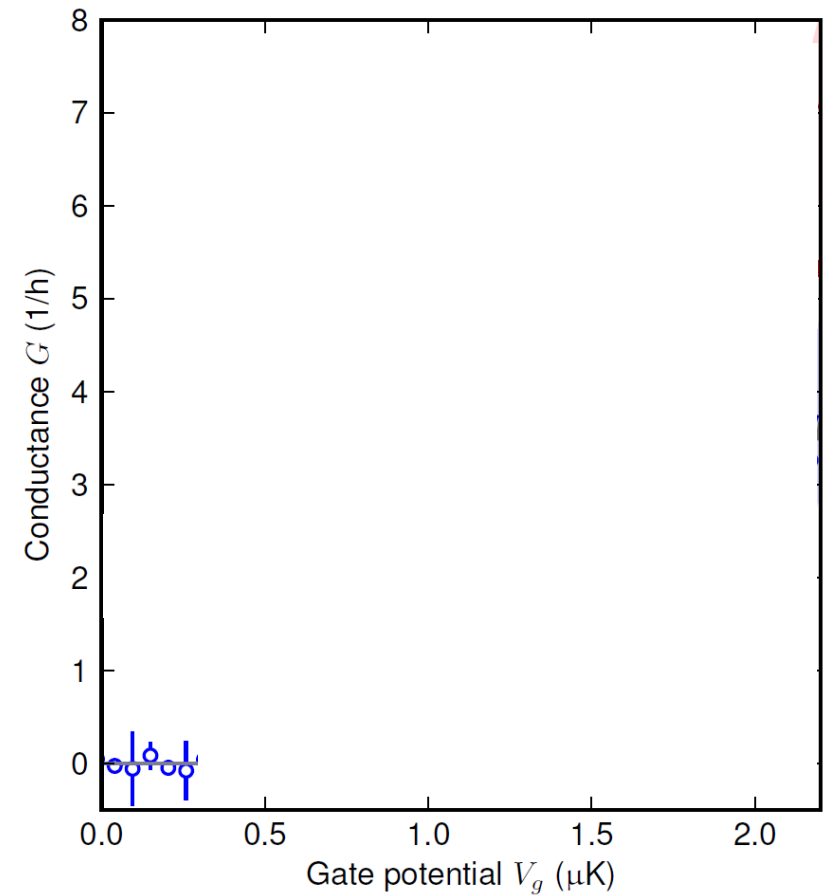
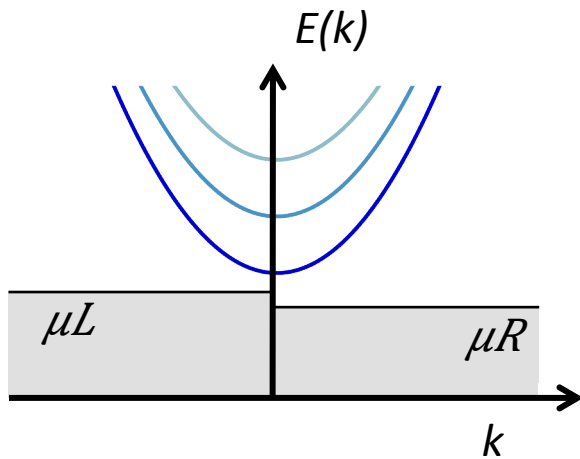
|                      |        |
|----------------------|--------|
| x-frequency          | 30 kHz |
| z-frequency          | 10 kHz |
| Channel ground state | 1 μK   |

# Experimental setup : cloud shaping

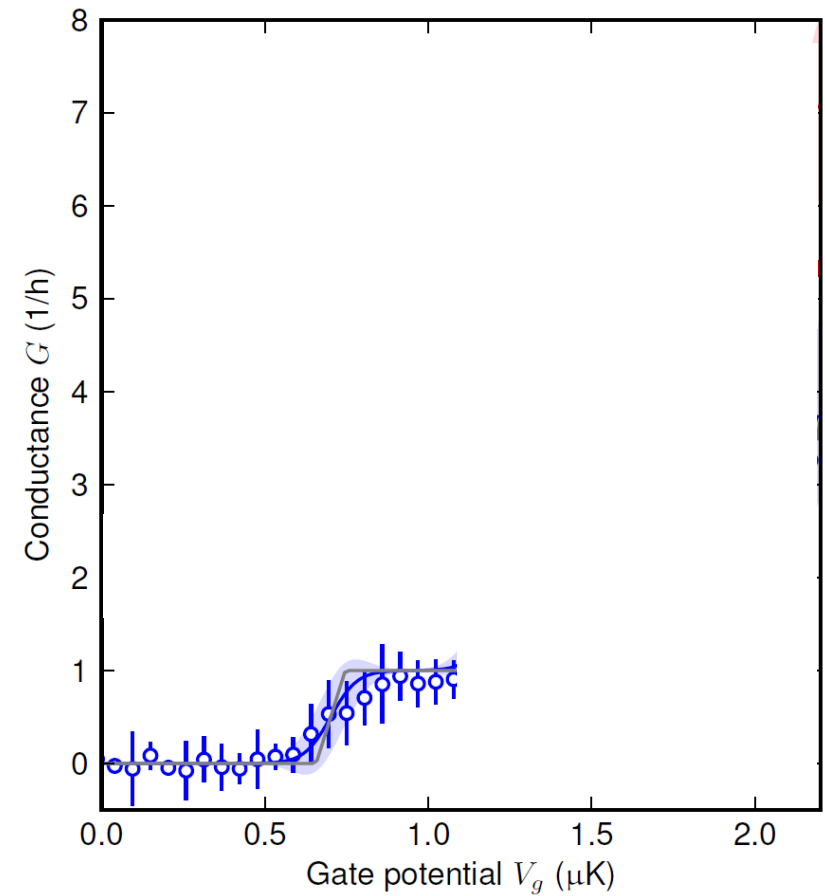
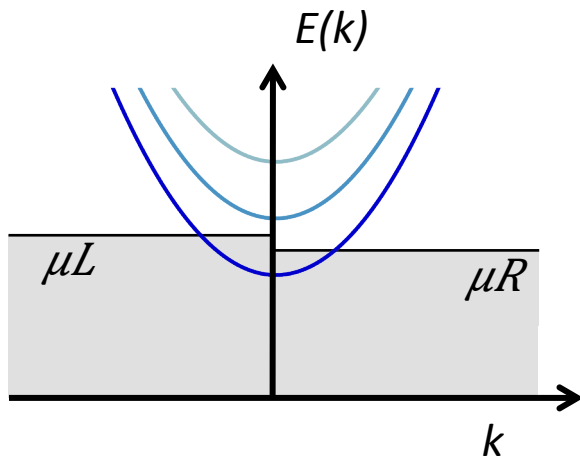


|                      |               |
|----------------------|---------------|
| x-frequency          | 30 kHz        |
| z-frequency          | 10 kHz        |
| Contact ground state | 1 $\mu$ K     |
| Chemical potential   | 0.352 $\mu$ K |
| Temperature          | 42 nK         |
| Gate Potential       | 0 - 3 $\mu$ K |

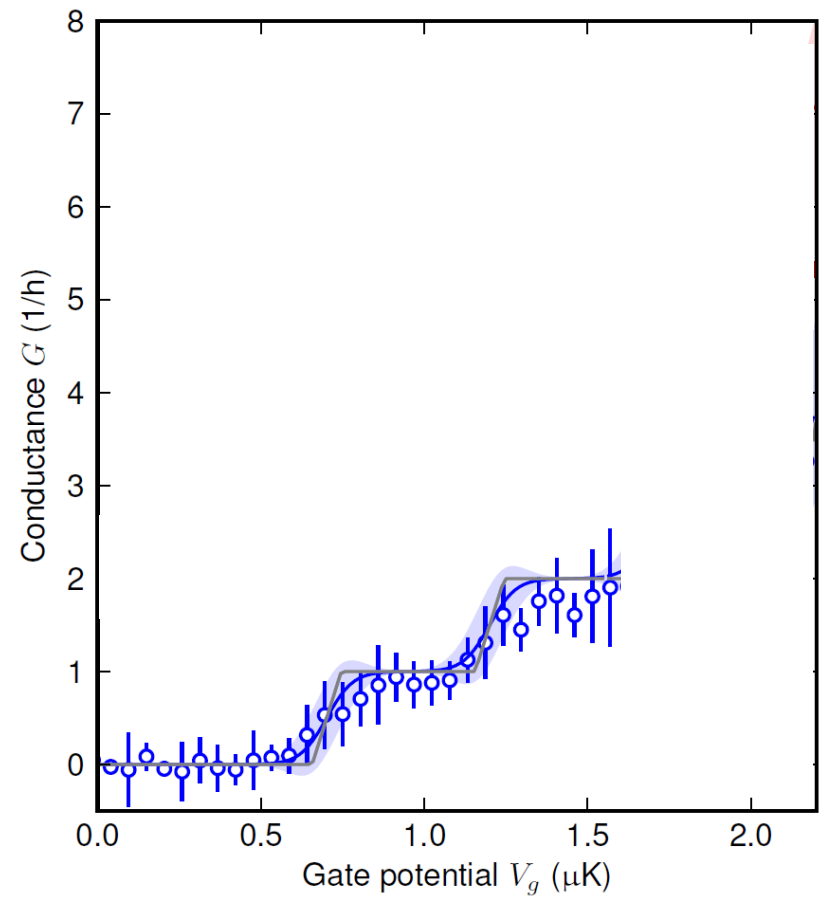
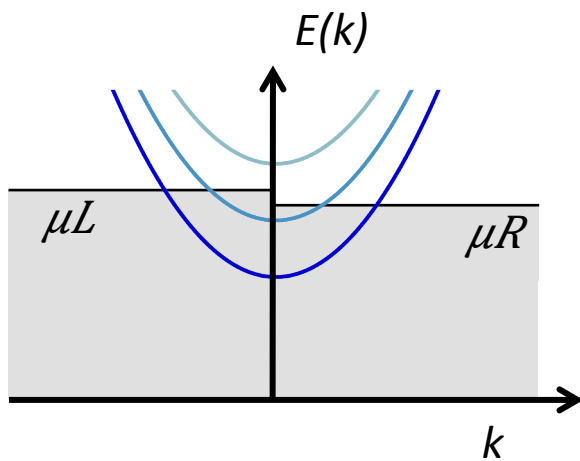
# Measurement



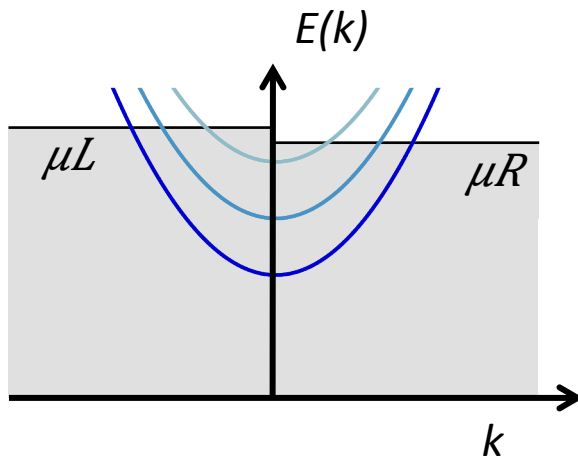
# Measurement



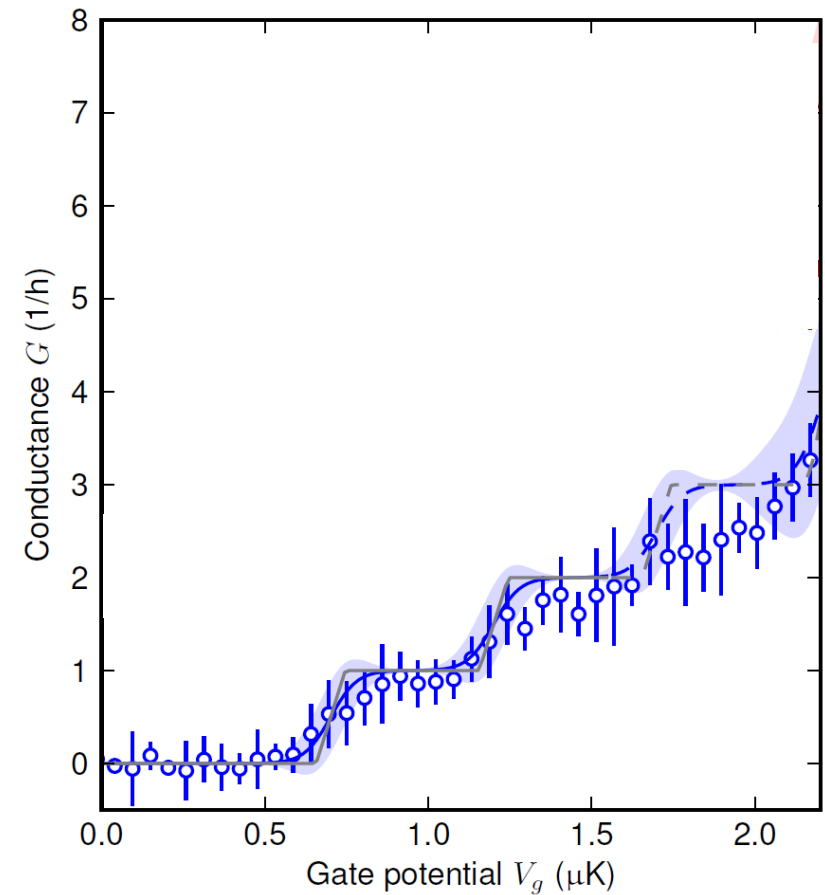
# Measurement



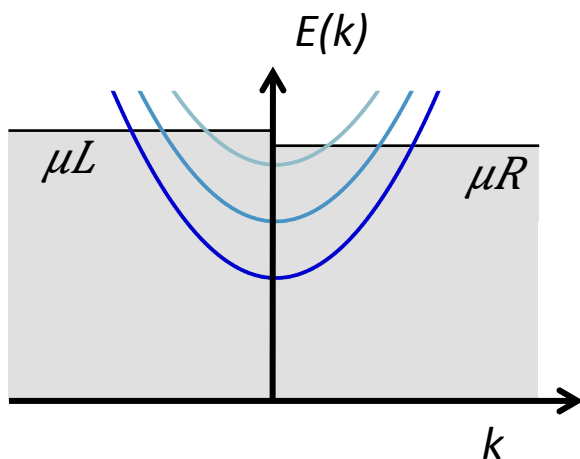
# Measurement



Landauer theory  
No free parameter

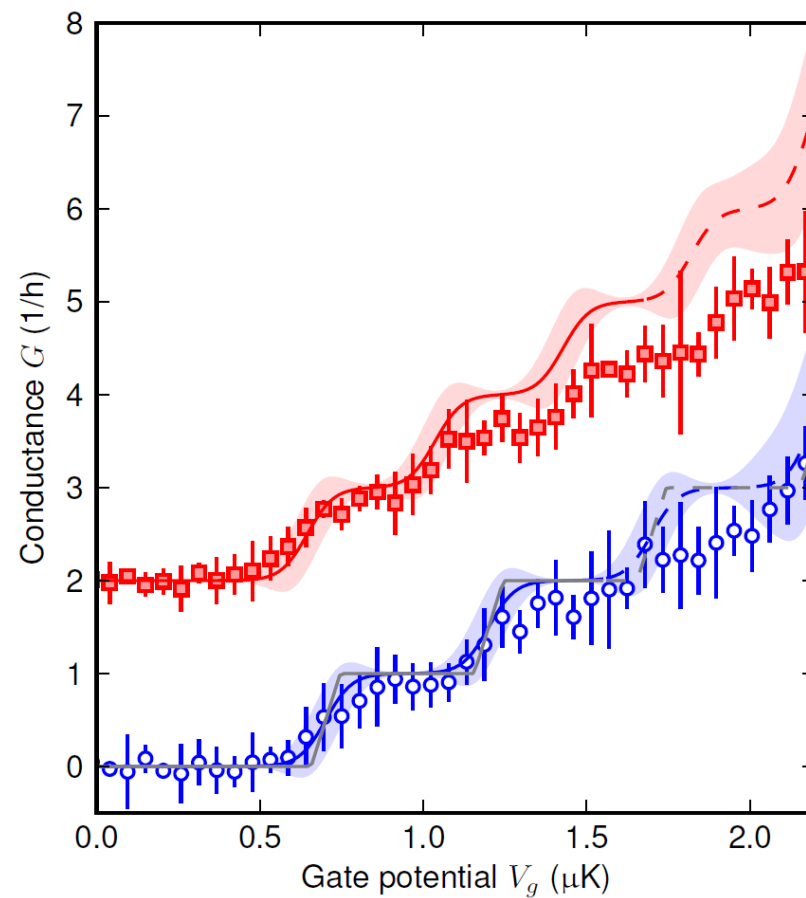


# Measurement

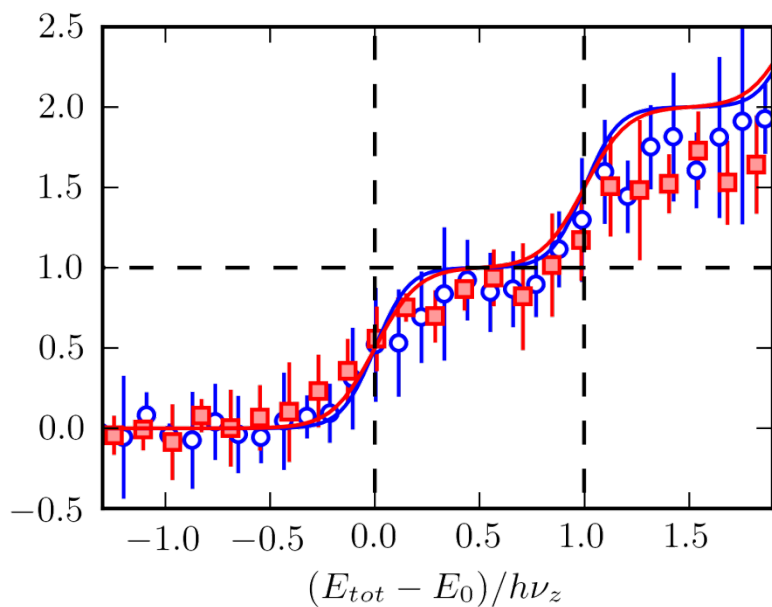


$$\nu_z = 10.4 \text{ kHz}$$

$$\nu_z = 8.2 \text{ kHz}$$

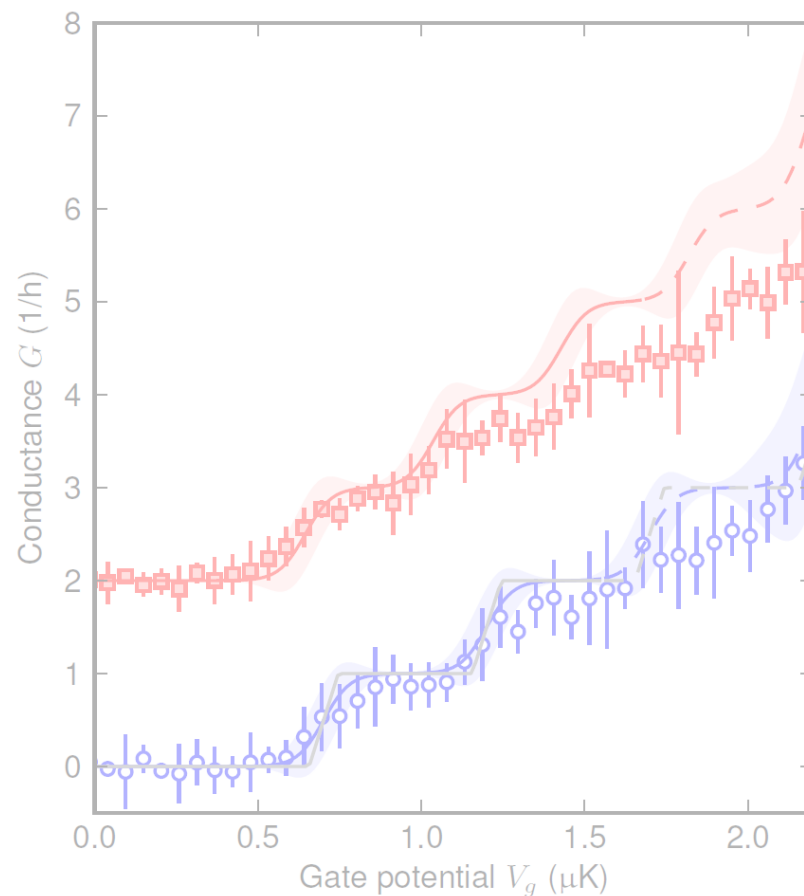


# Measurement

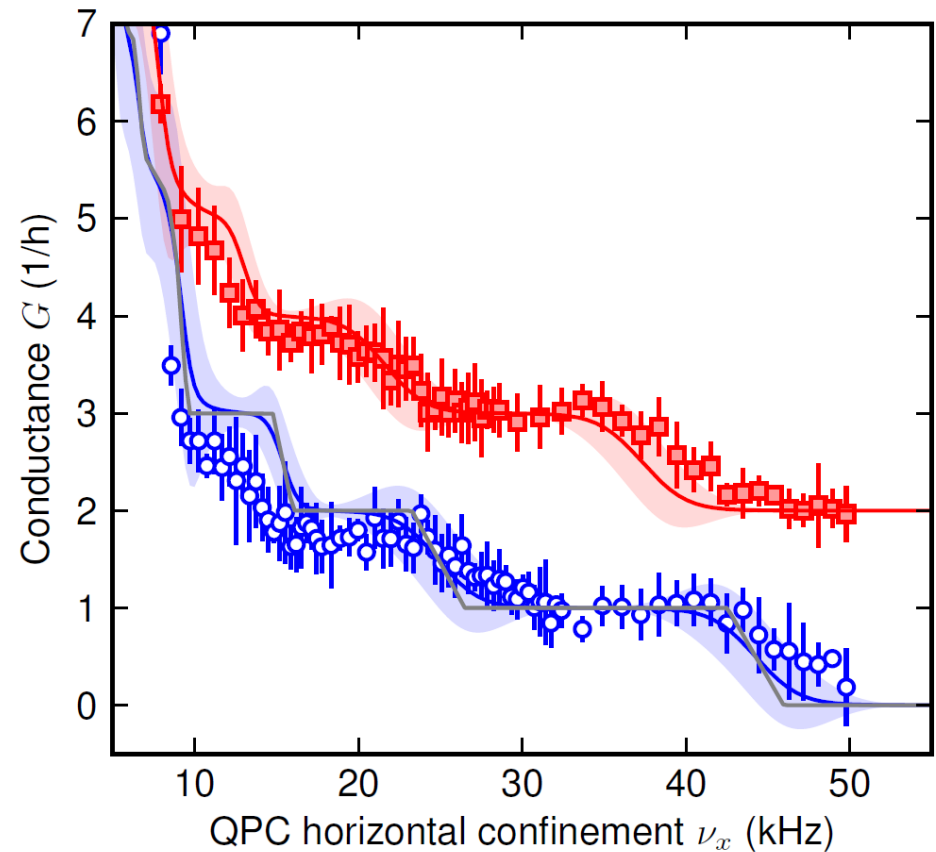
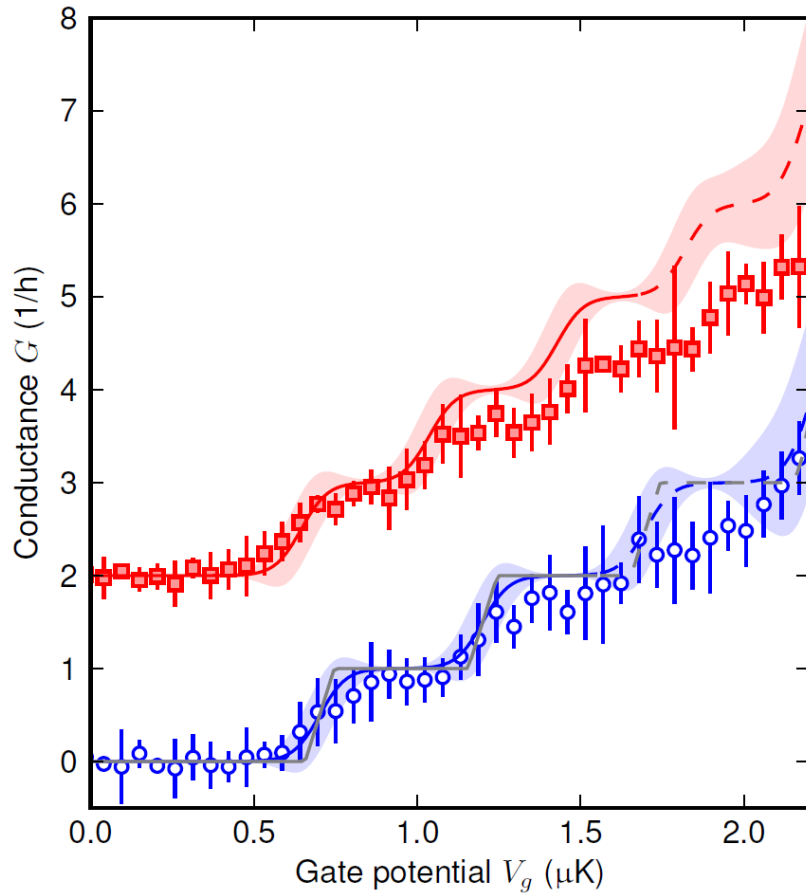


$$\nu_z = 10.4 \text{ kHz}$$

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# Varying the split gate strength



What do we learn ?

# It works...

... with neutral particles: no forces are applied to the atoms

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... with closed, microcanonical reservoirs: only elastic processes take place in the reservoirs, no dissipative dynamics

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... with neutral particles: no forces are applied to the atoms

... with closed, microcanonical reservoirs: only elastic processes take place in the reservoirs, no dissipative dynamics

... with very little interparticle scattering in the reservoirs: mean free path much larger than the cloud size

Wide control over the reservoirs dynamics

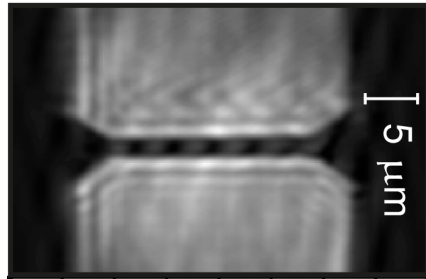
# Wide tunability of the geometry

Using “optical lithography”, any geometry can be implemented

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Example: quantum wire with sharper edges

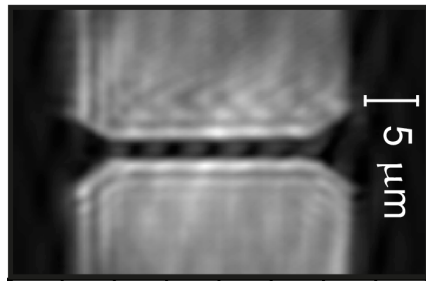


In-situ picture of the potential shape

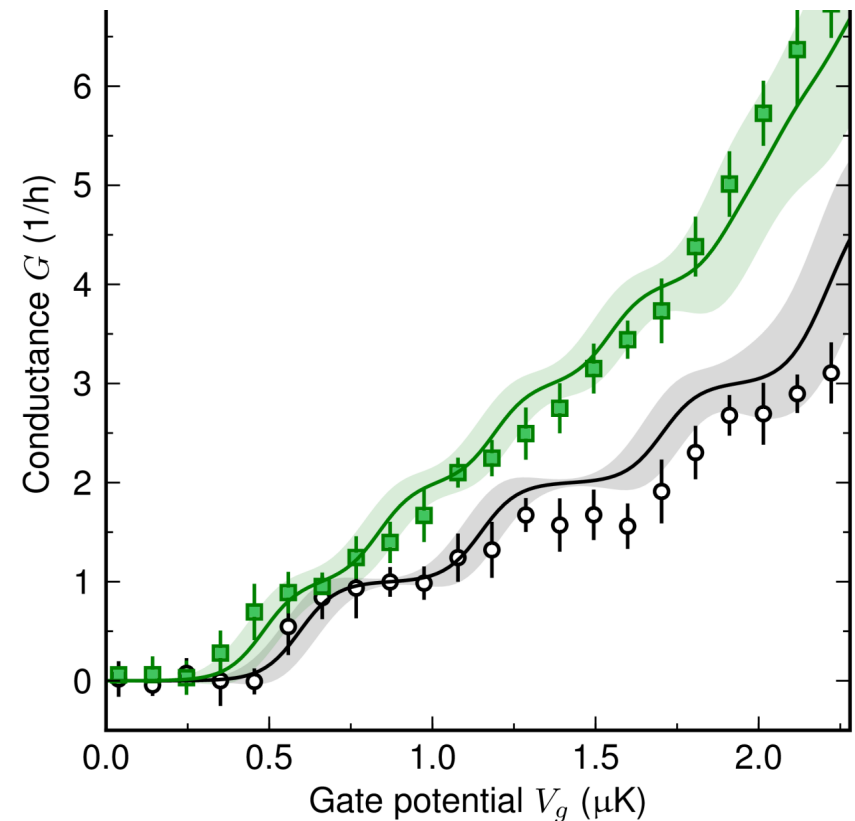
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# Conclusions and perspectives

Strongly interacting gases: BEC-BCS crossover

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Engineering reservoirs: non thermal, coherent, small size

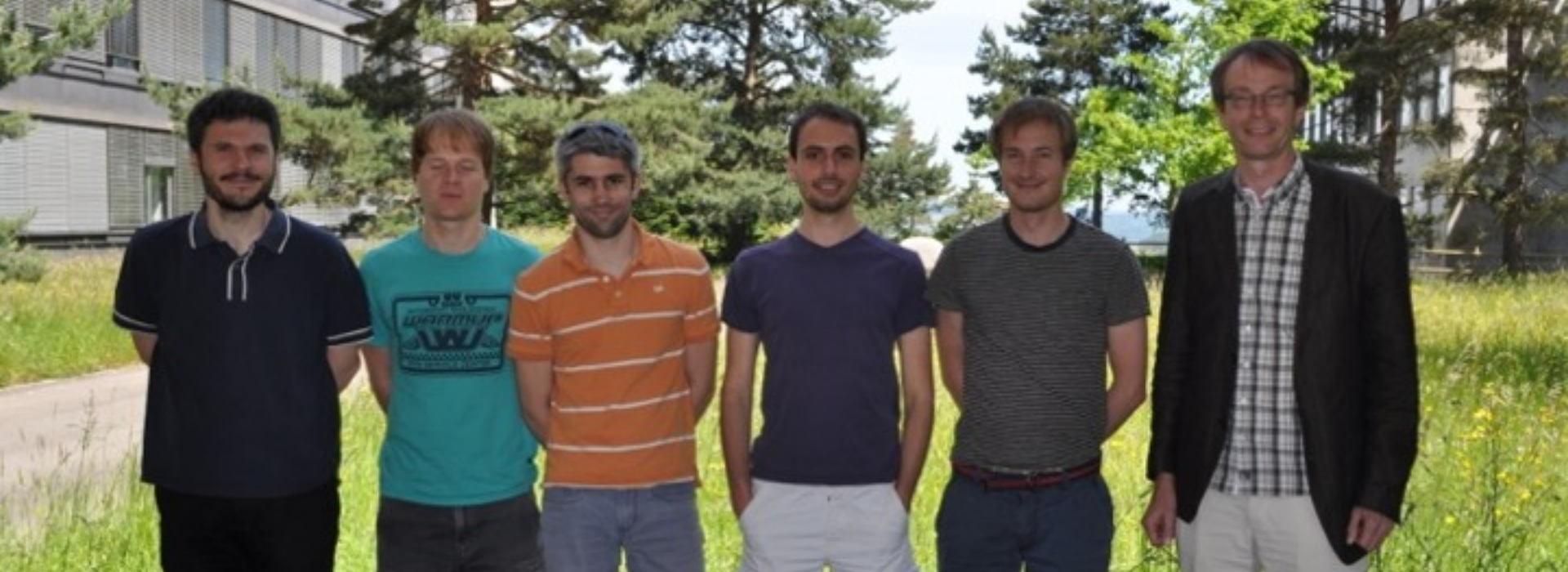
# Conclusions and perspectives

Strongly interacting gases: BEC-BCS crossover

Engineering reservoirs: non thermal, coherent, small size

Other transport coefficients: heat conductance, thermopower

J.P. Brantut *et al*, Science **342**, 713 (2013)



Charles Grenier

Sebastian Krinner

JPB

Martin Lebrat

Dominik Husmann

Tilman Esslinger

arXiv:1404.6400

*Discussions: C. Chin, W. Zwerger, T. Ihn, K. Ensslin, Y. Imry, G. Blatter, A. Georges, T. Giamarchi*

